## Video Quality: A Nexus of Video Engineering and Visual Neuroscience

**Al Bovik** *Mile High Video Denver* May 2023

Focus blur Motion blur Overexposure (saturation) Underexposure (saturation) Compression artifacts Jitter (camera shake) Low-light noise (sensor) Color errors Red-eye Spatial distortion (stretch) Combinations of these

#### How many distortions can you find?



### Video Quality Issues are Pervasive

- Every day:
  - 80% of Internet traffic is pictures and videos



- Pictures and videos suffer from an extreme diversity of distortion types and severities
- These often occur in **complex combinations** of **degradations** creating **new visual distortions**.
- Distortions affect **user experience** and **bandwidth usage**.

## Today's Video Communication System



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## **Sources of Video Distortion**



**Video Quality** 

# **Plethora of Distortions**

### "Mostly Spatial"

- Blocking artifacts
- Ringing
- Mosaicking
- False contouring
- Motion blur
- Optical blur
- Additive Noise
- Exposure
- Sensor noise
- Shake
- Color errors
- Many more

### "Mostly Temporal"

- Ghosting
- Motion blocking
- Motion mismatches
- Mosquito noise
- Stutter
- Judder
- Texture Flutter)
- Jerkiness
- Temporal aliasing
- Smearing
- Many more

**Decades** of "distortion-specific" measurement **didn't work**. Too complex to model, too many **distortion variations**, too many **distortion combinations**, too **hard to map to perceptiog**.

# Video Quality Prediction is Hard! Can we?

Yes, because

## Videos are Special

and because distortion changes their specialness

**Since our** 

## **Brains expect Specialness**

we can model and predict the perception of distortion

### **Special Property 1: Reciprocal Law**

• The **power spectra** of **videos** are pretty **reliably modeled as obeying reciprocal power laws**:

$$\mathbf{E}\left[\left|\mathbf{F}(\mathbf{U})\right|\right] \propto \frac{1}{\mathbf{U}^{\alpha}}$$

where U = is spatial or temporal frequency.

- Generally  $\alpha, \beta \in [0.8, 1.5]$  with  $\alpha_{ave}, \beta_{ave} \approx 1.2$
- Functions satisfying these are uniquely self-similar:  $|F(sU)| \propto s^{-\beta} |F(U)|$ Example: Alpine Sled

#### Videos are **self-similar** and **multiscale.** So is **perception** of **them.**

Tolhurst, et al "Amplitude spectra of natural images," *Ophthal. & Physiol Optics*, 1992. <sup>11</sup>



## **Bandpass Retino-Cortical Filters**

 Sparse coding of pictures and videos resemble <u>bandpass</u> receptive field profiles of neurons along retino-cortical pathway.



Bandpass decompositions in visual cortex ...

### **Special Property 3: Gaussian Law**

 Bandpass videos are reliably modeled as obeying gaussian scale mixture (GSM) models. If (f = video)

 $g(\mathbf{m}) = f(\mathbf{m}) * h(\mathbf{m})$ 

then space/time/scale n'brhoods of  $g(\mathbf{m})$  are **well-modeled**  $\overline{g}(\mathbf{m}) \Box z(\mathbf{m}) \cdot \overline{\gamma}(\mathbf{m})$ 

where z(m) is a scalar (variance) random field and

 $\overline{\gamma}(\mathbf{m}) \Box \eta(0, C_{\overline{\gamma}}) \qquad C_{\overline{\gamma}} = \text{covariance matrix of } \overline{\gamma}$ 

- Bandpass processing also **decorrelates** (it's differencing!)
- Dividing by local space/time/scale energies (estimates of z) further decorrelates & gaussianizes.

![](_page_14_Figure_0.jpeg)

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**'e** 

#### **Bandpass, divisively normalized pictures**

**Original images** 

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The rema visual sig this regul

Ruderman, The sta M.J. Wainwright and Advances in Neural 1

![](_page_14_Picture_6.jpeg)

![](_page_14_Picture_7.jpeg)

**n**) yields

![](_page_14_Figure_9.jpeg)

1994.

![](_page_15_Picture_0.jpeg)

![](_page_15_Picture_1.jpeg)

**Dual** (evolutionary) **bandpass & normalized processing** in sensory neurons explains **perceptual contrast masking** (incl. of distortions).

Heeger, Normalization of cell responses in cat striate cortex, *Visual Neuroscience*, 1992. 16

Formulating General Video Quality Paradigms by Exploiting the Dual Nature Between Natural Video Statistics and Sensory Processing

#### (Very) General Quality Measurement Concept

![](_page_17_Figure_1.jpeg)

# "Reference" Video Quality Prediction

![](_page_18_Figure_1.jpeg)

- Need accurate **models of transmitter**.
- Need accurate models of the receiver.
- These models are dual/combined.

## Measure Spatial Information Loss

![](_page_19_Figure_1.jpeg)

H. Sheikh and A. Bovik, "Image information and visual quality," *IEEE Transactions on Image Processing*, 2006.

R. Soundararajan and A. Bovik, Video quality assessment by reduced reference spatio-temporal entropic differencing, *IEEE Transactions on Circuits and Systems*, 2013.

## Measuring Temporal Information Loss

![](_page_20_Figure_1.jpeg)

**Frame differences** are bandpass and also strongly obey the GSM law, violated by local **temporal distortion**.

## **GSM Model of Frames and Frame Differences**

- Bandpass video frames and frame differences are modeled as GSM, which is a regular, reliable model of both.
- All are modeled as **noisy GSM vectors**:

 $g = z\gamma + w$ 

z = variance field  $\gamma \Box \eta(0, \mathbf{K})$   $w \Box \eta(0, \sigma_w^2 \mathbf{I})$ 

where **w** models **visual uncertainty** - neural noise and other perceptual imperfections.

• This **same model** is **independently applied** on each element of

{frames, frame differences} x {original, distorted}

# **Conditional Entropies**

• Find the **ML estimate(s)** 

$$\hat{z} = \arg \max_{z} \left\{ \log \left[ p(g|z) \right] \right\} = \sqrt{\frac{g^{\mathrm{T}} \tilde{\mathbf{K}}^{-1} g^{\mathrm{T}}}{N}}$$

yielding conditional entropies

$$H(g|z=\hat{z}) = \frac{1}{2} \log \left[ (2\pi e)^{N} \left| \hat{z}^{2} \tilde{\mathbf{K}} + \sigma_{W}^{2} \mathbf{I} \right| \right]$$

#### **Compute on:**

- Original frames
- Distorted frames
- Frame Differences
- Distorted Frame Differences

which are **perceptually scaled** by log variance:

$$\alpha = log(1 + \hat{z}_{space}^{2}) \cdot log(1 + \hat{z}_{time}^{2}) \cdot H(g|z = \hat{z})$$

to numerically **stabilize** and highlight **higher local energy** of either **content** or **distortion**.

# Popular Algorithms Derived from These Models

- <u>Visual Information Fidelity</u> (VIF, 2006): no variance scaling, additive pooling.
- <u>Space-Time Reduced Reference Entropic Differencing</u> (ST-RRED, 2012): temporal aspect, variance scaling, additive pooling.
- **NETFLIX**'s Visual Multi-Method Fusion (VMAF, 2016): VIF/ST-RRED features + "detail" feature pooled using SVM.
- Algorithms from these models are used at the global scale by most broadcast, streaming, and social media providers, affecting billions of viewers, significantly reducing bandwidth consumption and the carbon footprint of the Internet.

#### ST-RRED Map 1

### Use Case: Encoder Control of Broadcast, Streaming, and Sharing

- Compressed videos streams are 80% of US Internet bits
- Most encodes are quality controlled by VIF/VMAF

![](_page_24_Figure_3.jpeg)

## New Use Case 1:

#### High/Variable Frame Rates (VFR)

![](_page_25_Picture_2.jpeg)

Pavan Madhusudana

![](_page_25_Picture_4.jpeg)

P.C. Madhusudana, N. Birkbeck, Y. Wang, B. Adsumilli, and A.C. Bovik, "Making video quality models sensitive to frame rate distortions," *IEEE Signal Processing Letters*, vol. 29, pp. 897-901, 2022.

## Video Frame Rate

- Older frame rates of 30 frames/sec (fps) and 24 fps (cinema) are now largely superseded by 60 fps.
- However, even 60 fps is inadequate in the presence of high object and/or camera motions.
- This is becoming of pressing importance since live sports content is being delivered by YouTube, Amazon Prime Video, and others.

# **Quality vs Frame Rate**

- How does frame rate affect perceived quality?
- Given a bandwidth target, can we optimize the compression / framerate vs. perceptual quality tradeoff?
  High Motion Example

![](_page_27_Picture_3.jpeg)

![](_page_27_Picture_4.jpeg)

**24 fps** 

**60 fps** 

# The Same Statistical Models Apply in Time

• **Temporal bandpass** videos obey the same **statistical laws** with **high regularity**.

![](_page_28_Figure_2.jpeg)

# **Temporal BP Filters**

 Given a video V(x, t) compute K temporal bandpass responses

$$B_k(\mathbf{x},t) = V(\mathbf{x},t) * b_k(t)$$

K = 1, ..., k.

• We use **Daubechies biorthogonal-2.2** wavelet filters.

![](_page_30_Picture_0.jpeg)

![](_page_30_Figure_1.jpeg)

Simple linear model of temporal visual processing in thalamus area LGN. 31

### Effects of Frame Rate on Temporal BP Responses $B_k(\mathbf{x},t) = V(\mathbf{x},t) * b_k(t)$

No compression applied

The **BP statistics** are also **greatly affected**...

![](_page_31_Picture_3.jpeg)

**24 fps** 

![](_page_31_Picture_5.jpeg)

**60 fps** 

## Frame Rate Biases Bandpass Entropy

- Frame rate biases temporal bandpass entropy.
- The bias is **part of measuring temporal distortion** must be **removed** when measuring **spatial distortion**.

![](_page_32_Figure_3.jpeg)

# **Bias Removal**

- Three videos are needed to form temporal quality features:
  - The 120 fps **reference video**
  - the distorted video (compressed & changed frame rate)
  - a pseudo-reference (PR) video for entropy bias removal.
- The **PR** video is the reference **down-sampled** to the **distorted video frame rate. NO** spatial (compression) **distortion**.

## **Generalized Space-Time** (GST) Video Quality Features

Defined in terms of the scaled entropies of reference
 (R), distorted (D), and PR videos:

$$\varepsilon = \log \left[ 1 + \hat{z}_k^2 (B_k) \right] \cdot h(B_k)$$

For each temporal BP filter (indexed k = 1, ..., K), the GST<sub>kt</sub> at frame t is

$$\mathbf{GST}_{kt} = \left(1 + \left|\varepsilon_{kt}^{D} - \varepsilon_{kt}^{PR}\right|\right) \cdot \left(\frac{\varepsilon_{kt}^{R} + 1}{\varepsilon_{kt}^{PR} + 1} - 1\right)$$

- Absolute difference: Measures compression distortion as if R and D have the *same* frame rate.
- Ratio term: Measures frame rate distortion as if there were no compression. 35

## **How to Use GST Features**

• If **R** and **D** have the same frame rate, then

$$\mathbf{GST}_{\mathrm{kt}} = \left| \boldsymbol{\varepsilon}_{\mathrm{kt}}^{\mathrm{D}} - \boldsymbol{\varepsilon}_{\mathrm{kt}}^{\mathrm{PR}} \right|$$

• If **D** is **not compressed/distorted**, then

$$GST_{kt} = \left| \frac{\varepsilon_{kt}^{R} + 1}{\varepsilon_{kt}^{PR} + 1} - 1 \right|$$

• GST = 0 only when D = PR = R.

![](_page_36_Figure_0.jpeg)

- VQA features can be drawn from ANY leading VQA model: SSIM, VMAF, NIQE, even PSNR
- **Neurostatistical GST** features are highly predictive of temporal distortions.

## **Performance Enhancements**

- We enhanced top models with GTS features.
- Tested on largest "Variable Frame Rate / Compression" subjective quality database.

Median Correlations Against Human Quality Judgments Over 200 Train-Test Splits of Leading Models on the UT-LIVE/YouTube HFR Database

	SROCC ↑	PLCC $\uparrow$
SSIM	0.5566	0.5418
GST SSIM	0.7576	0.7700
MS-SSIM	0.5742	0.5512
GST MS-SSIM	0.8128	0.8179
ST-RRED	0.6394	0.6073
GST ST-RRED	0.8029	0.8144
SpEED	0.6051	0.5206
GST SpEED	0.8276	0.8346
VMAF	0.7782	0.7419
GST VMAF	0.8658	0.8723

- Enormous bandwidth savings on high-motion (sports, action) content
- By perceptually optimizing (pushing) compression/framerate.

SROCC = Spearman's Rank-Order Correlation Coefficient PLCC = Pearson's Linear Correlation Coefficient

# **By Bitrate**

- **Performances** at **bitrates** 24, 30, 60, 92, 98, 120 fps?
- **GST** especially effective at **low bitrates**
- Also effective at high bitrates

#### Median Correlation Over 200 Train-Test Splits of Leading Models, By Bitrate, on UT-LIVE/YouTube HFR Database

	24 fps		30 fps		60 fps		82 fps		98 fps		120 fps	
	SROCC↑	PLCC↑	SROCC↑	PLCC↑	SROCC↑	PLCC↑	SROCC <sup>↑</sup>	PLCC↑	SROCC↑	PLCC↑	SROCC↑	PLCC↑
SSIM	0.266	0.222	0.283	0.189	0.382	0.302	0.371	0.362	0.537	0.497	0.867	0.833
GST SSIM	0.386	0.635	0.461	0.715	0.516	0.722	0.698	0.835	0.743	0.833	0.797	0.817
MS-SSIM	0.305	0.260	0.296	0.238	0.416	0.338	0.439	0.393	0.578	0.561	0.706	0.696
GST MS-SSIM	0.505	0.682	0.495	0.769	0.579	0.796	0.704	0.844	0.775	0.841	0.832	0.838
ST-RRED	0.305	0.275	0.296	0.206	0.612	0.613	0.584	0.513	0.650	0.604	0.755	0.696
GST ST-RRED	0.518	0.698	0.421	0.664	0.580	0.814	0.684	0.833	0.752	0.816	0.888	0.885
SpEED	0.432	0.273	0.410	0.233	0.439	0.292	0.546	0.390	0.578	0.471	0.758	0.739
GST SpEED	0.645	0.744	0.616	0.759	0.577	0.745	0.723	0.789	0.787	0.827	0.860	0.867
VMAF	0.250	0.368	0.362	0.471	0.630	0.680	0.734	0.793	0.860	0.868	0.818	0.816
GST VMAF	0.748	0.805	0.743	0.833	0.773	0.836	0.786	0.880	0.860	0.899	0.881	0.903

GST allows streamers to further adaptively **adjust frame rate** vs **compression** to improve bandwidth budgets and environmental impact.

## New Use Case 2

#### High Dynamic Range (HDR)

![](_page_39_Picture_2.jpeg)

**Josh Ebenezer** 

Zaixi Shang

![](_page_39_Picture_5.jpeg)

J.P. Ebenezer, Z. Shang, Y. Wu, H. Wei, S. Sethuraman, and A.C. Bovik, "Making video quality assessment models robust to bit depth," *IEEE Signal Processing Letters*, to appear.

### High Dynamic Range (or bit depth)

- Older Standard Dynamic Range (SDR) videos represent luminances and colors with 8 bits each (24 bits total).
- Fine on **old dim televisions:** SDR is limited to **100 nits\*** while modern **HDR** is mastered at **1000-4000 nits**.
- **Modern standards** like HDR10, Dolbyvision, HDR10+ now pervasive, enabling content with
  - Darker blacks and brighter whites
  - Wider ranges of colors
- HDR uses 25% more bits! Increased data volume, more compression needed! Which impacts perceived quality.
- For a given bitrate, more distortions.

\*candela / meter<sup>2</sup> (cd/m<sup>2</sup>), candela measures luminous intensity

# **Dual Channel Solution**

![](_page_41_Figure_1.jpeg)

- VQA features can be drawn from ANY leading VQA model: SSIM, VMAF, NIQE, even PSNR
- Neurostatistical distortion models of HDRMAX responses are also regular and sensitive to distortion.
- What is HDRMAX?

\*NVS = Natural video statistics

# What is HDRMAX?

- **Simple:** Linearly map the video values (luminances and/or chrominances) to [-1, 1].
- Then apply the heuristic **expansive nonlinearity**

$$f(x;\delta) = \begin{cases} \exp(\delta x) - 1 & x > 0\\ 1 - \exp((-\delta x)) & x < 0 \end{cases}$$

![](_page_42_Figure_4.jpeg)

- Midrange luminances (or chrominances) are crushed to near zero.
- "HDR" regions (and VQA responses to them) now dominate.
- Still obey natural video statistic models.
- Even **better performance** is obtained when HDRMAX is applied on a **patch-wise basis** (WxW patches)

## Problem

#### Concept (this is NOT HDR)

![](_page_43_Figure_2.jpeg)

Hard to capture distortions in dark regions (MUCH more noticeable on HDR)

## **HDRMAX**

![](_page_44_Picture_1.jpeg)

### **Improvements are Dramatic**

MEDIAN SROCC, LCC, AND RMSE ON 10 BIT VQA DATABASES OBTAINED USING FR MODELS. STANDARD DEVIATIONS ARE SHOWN IN PARENTHESES. THE BEST PERFORMING ALGORITHM IS BOLD-FACED.

Dataset	LIVE HDR		LIVE ETRI	(SDR 10 bit)	Livestream (SDR 8 bit)		
Algorithm	SRCC	PLCC	SRCC	PLCC	SRCC	PLCC	
SSIM	0.5208(0.1611)	0.4898(0.1595)	0.3568(0.2625)	0.3358(0.2395)	0.6539(0.0927)	0.6584(0.0832)	
SSIM+HDRMAX	0.7771(0.0866)	0.7529(0.0964)	0.8485(0.0733)	0.8301(0.0741)	0.7521(0.0714)	0.7689(0.0619)	
MS-SSIM	0.6007(0.1228)	0.5810(0.1260)	0.5234(0.2336)	0.5319(0.2279)	0.7306(0.1097)	0.7377(0.1083)	
MS-SSIM+HDRMAX	0.7645(0.0838)	0.7258(0.0868)	0.7519(0.1399)	0.7297(0.1328)	0.7397(0.0712)	0.7724(0.0681)	
ST-RRED	0.6863(0.0700)	0.6569(0.0744)	0.7500(0.0853)	0.7587(0.0933)	0.6122(0.0738)	0.6273(0.0637)	
ST-RRED+HDRMAX	0.7896(0.0607)	0.7595(0.0603)	0.8628(0.0889)	0.8535(0.0840)	0.7685(0.0690)	0.7902(0.0630)	
SpEED-QA	0.611(0.1243)	0.6196(0.1066)	0.7031(0.1485)	0.7179(0.1565)	0.5561(0.0481)	0.5891(0.0454)	
SpEED-OA+HDRMAX	0.7581(0.0921)	0.7107(0.0993)	0.8597(0.0971)	0.8355(0.0907)	0.6519(0.0416)	0.6642(0.0374)	
VMAF	0.6753(0.0493)	0.6086(0.0583)	0.5617(0.0919)	0.5069(0.0844)	0.6424(0.0574)	0.7050(0.0498)	
VMAF+HDRMAX	0.8528(0.0543)	0.8342(0.0632)	0.8654(0.1076)	0.8417(0.0996)	0.7050(0.0853)	0.7120(0.0944)	

MS-SSIM and VMAF are global standards that control the quality of >70% of Internet bits

**HDRMAX** allows streamers to adaptively **adjust bit depth** vs **compression** to conserve video quality, bandwidth, and the environment.

![](_page_46_Picture_0.jpeg)

- Accurate video quality prediction, unsolved since Edison's Kinetograph, has become possible.
- By modeling the statistical responses of visual **neurons** to distortion not by measuring distortion directly.
- What about **Deep Learning / AI**?
  - Less gain on the Reference problem, which is "more tractable"
  - It is the **key to** the **No-Reference** problem

### **LIVE's Current Sponsors**

![](_page_47_Figure_1.jpeg)

ERICSSON 48

![](_page_48_Picture_0.jpeg)

![](_page_48_Picture_1.jpeg)